Importance of soils, topography and geographic distance in structuring central Amazonian tree communities

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Abstract

Question: What is the relative contribution of geographic distance, soil and topographic variables in determining the community floristic patterns and individual tree species abundances in the nutrient-poor soils of central Amazonia?

Location: Central Amazonia near Manaus, Brazil.

Methods: Our analysis was based on data for 1105 tree species (≥ 10 cm dbh) within 40 1-ha plots over a ca. 1000-km² area. Slope and 26 soil-surface parameters were measured for each plot. A main soil-fertility gradient (encompassing soil texture, cation content, nitrogen and carbon) and five other uncorrelated soil and topographic variables were used as potential predictors of plant-community composition. Mantel tests and multiple regressions on distance matrices were used to detect relationships at the community level, and ordinary least square (OLS) and conditional autoregressive (CAR) models were used to detect relationships for individual species abundances.

Results: Floristic similarity declined rapidly with distance over small spatial scales (0-5 km), but remained constant (ca. 44%) over distances of 5 to 30 km, which indicates lower beta diversity than in western Amazonian forests. Distance explained 1/3 to 1/2 more variance in floristics measures than environmental variables. Community composition was most strongly related to the main soil-fertility gradient and C:N ratio. The main fertility gradient and pH had the greatest impact of species abundances. About 30% of individual tree species were significantly related to one or more soil/topographic parameters.

Conclusions: Geographic distance and the main fertility gradient are the best predictors of community floristic composition, but other soil variables, particularly C:N ratio, pH, and slope, have strong relationships with a significant portion of the tree community.

Keywords: Beta diversity; Brazil; Floristics; Species abundance; Spatial dependence; Tropical forest.

Abbreviations: BDFFP = Biological Dynamics of Forest Fragments Project; CAR = Conditional autoregressive (model); OLS = Ordinary least square regression.

Introduction

Much research has focused on the relative role of distance-related processes, such as dispersal, versus environmental factors in shaping community floristics in tropical forests (Clark et al. 1999; Chust et al. 2006; Hubbell 2001; Phillips et al. 2003; Potts et al. 2002; Webb & Peart 2000 and others). Certainly no one answer has emerged as to which is more important. Instead, the importance of different factors varies from region to region (Palmer 2006; Tuomisto et al. 2003a, b, c), and even at different spatial scales in the same region (Normand et al. 2006; Potts et al. 2002), in response to past and recent geologic history, human and natural disturbance patterns, and evolutionary processes.

Nonetheless, some environmental variables, particularly soil texture, cation composition and topography, are repeatedly reported as important in determining tropical forest composition (Costa et al. 2005; Sri-Ngernyuang et al. 2003; Tuomisto et al. 2002; Valencia et al. 2004; Vormisto et al. 2004). The availability of complete floristic and soil data sets that are needed to address these questions is very limited given the vast extent of the tropics. In the large area covering the central Amazon basin, only one study with detailed soil and floristic data examines the relationship between environmental variables and floristics (Costa et al. 2005) and this is limited to understory herbs. To put the floristic community in context of other studies in the Neotropics (Condit et al. 2000; Pitman et al. 2001; ter Steege et al. 2006), an analysis of trees (> 10 cm DBH) is needed.

In the relatively nutrient-rich soils of western Amazonia, evidence is accumulating that tree communities exhibit surprisingly little turnover in floristic composition (beta diversity) at larger spatial scales (10-1000 km), despite having high local species richness (alpha diversity) and relatively rapid turnover at local scales (< 10 km) (Condit et al. 2002; Macia & Svenning 2005; Pitman et al. 2001).
Species diversity patterns are less clear for the vast region of central Amazonia, where soil fertility tends to be very low (Brown 1987; Chauvel et al. 1987). Central Amazonia has one of the highest alpha diversities of trees recorded for any tropical forest (Oliveira & Mori 1999), but species turnover at landscape scales (distances of < 100 km) has not yet been assessed.

Here, we describe the patterns of beta diversity in a central Amazonian forest and address two questions: What is the relative role of geographic distance and environmental variables in shaping floristic similarity and individual species abundances? Which soil and topographic variables are most important? Because spatial structuring in the environmental variables can cause inflated levels of environmental associations (e.g. Harms et al. 2001; Lichstein et al. 2002), our statistical approaches aimed to disentangle the effects of broad-scale geographic trends, local spatial autocorrelation and environmental variables. We also placed our findings in the context of other studies in the tropics. In particular, we examined how beta diversity patterns compare to other plot networks in the Neotropics, and how the proportion of species with significant soil or topographic relationships varied among different tropical forest communities.

Methods

Study area and floristics

Our study area is part of the Biological Dynamics of Forest Fragments Project (BDFFP), a large-scale experimental study of habitat fragmentation, located in the central Amazon, 80 km N of Manaus, Brazil (2°30' S, 60° W) at 50-100 m elevation (Laurance et al. 2002; Lovejoy et al. 1986). The study area spans ca. 1000 km². The topography consists mostly of flat, clay-rich plateaus dissected by numerous stream and river gullies. Forests in the area are not seasonally inundated. Rainfall ranges from 1900-3500 mm annually with a pronounced dry season from June to October.

This site shows relatively few signs of human disturbance or large-scale natural disturbance in the past few hundred years. There is no evidence of swidden agriculture (Piperno & Becker 1996) and the majority of charcoal found at the site indicating fire dates from at least 1100-1500 years ago (Piperno & Becker 1996; Santos et al. 2000). Large gaps created by wind bursts have been observed in this area of the central Amazon (Nelson et al. 1994) but there is no evidence of recent large blowdowns in the BDFFP plot network (Laurance et al. 2005; but see Nelson 2005).

Since 1980, a long-term study of tree community dynamics and composition has been conducted in fragmented and continuous forests in the study area. All trees ≥ 10 cm diameter-at-breast-height (DBH) are being monitored within 66 permanent, square, 1-ha plots spanning the experimental landscape. Live trees in each plot were marked and mapped and their diameters recorded, with measurements taken above the buttresses for buttressed trees. On average, 95.3% of all trees in each plot were identified to species (or morphospecies) level, using sterile or fertile material from each tree. Voucher specimens are housed in the BDFFP Plant Collection, Manaus, Brazil. The subset of 40 plots used for this analysis contained 1105 identified tree species with a range of 224 to 293 species and 546 to 754 stems per plot.

Because we were interested in the relationship between floristics and environmental patterns in undisturbed forest, we used data only from the initial tree census in the early-mid 1980s, completed before the BDFFP fragments were created and when the whole area was continuous forest. The distances between the 40 plots ranged from 0.10 to 32.5 km, with an average interplot distance of 13.8 km.

Soil data

The dominant soils in the study area are xanthic ferralsols (using the FAO/UNESCO system; Beinroth 1975). Ferralsols are widespread in the Amazon Basin, heavily weathered, and usually have a low base saturation. They are often well aggregated, porous, and friable, with variable clay contents. Clay particles in ferralsols can form very durable aggregations, giving the soil poor water-holding characteristics, even with high clay contents (Richter & Babbar 1991). Xanthic ferralsols in the Manaus area are derived from Tertiary deposits and are typically acidic and very poor in nutrients such as P, Ca, and K (Chauvel et al. 1987).

A total of 21 soil parameters and 1 topographic parameter (slope) was collected from the plots. Each 1-ha plot was divided into 25 quadrats of 20 m × 20 m each from which soil-surface samples (0-20 cm depth) were collected. The maximum slope within each quadrat was measured with a clinometer, then averaged to yield a mean value for the plot. To assess soil parameters, 9-13 quadrats were selected per plot, using an alternating pattern to provide good coverage of the plot. Within each quadrat, 15 surface samples were collected at haphazard locations using a soil auger, then bulked and subsampled. The organic matter layer was removed before sampling. The laboratory methods used for soil analyses are detailed in Fearnside and Leal-Filho (2001), and summarized in App. 1.

Because many soil variables were intercorrelated, we used Principal Components Analysis (PCA) to identify major trends in the soil data using the 40 plots with complete soils data. The first PCA axis explained 50% of the total variance in the soil data and was strongly correlated with
soil texture (fractions of clay, sand, and silt), total N, C content, total exchangeable bases, and several individual cation concentrations (Zn, Mg, Mn) (App. 2; Laurance et al. 1999). Because these parameters are strongly associated with soil fertility (Laurance et al. 1999), we hereafter refer to PCA axis 1, and the soil variables strongly correlated with it (particularly clay content), as the main soil-fertility gradient.

**Statistical analyses**

In both the community and species level analyses, we sought to assess the relative importance of geographic distance (both broad- and fine-scale) and environmental variables in determining community composition and species abundance patterns. The community level analysis was based on interplot geographic distances and interplot differences in floristics and environmental variables. The individual species analysis was based on species abundances, geographic coordinates, and levels of the environmental variables in each plot. Interplot distances were used in the individual species analysis to measure fine-scale spatial autocorrelation among plots. We used one topographic and five soil variables in the analyses. One of the soil variables was clay content, which was employed as a surrogate for the main soil-fertility gradient because it was very strongly correlated with PCA axis 1 ($r = -0.97$) and was available for all 66 plots, rather than just the 40 plots used in the PCA. The other five variables, pH, C:N ratio, water content, phosphate, and slope, were only weakly correlated with the main soil-fertility gradient and with one another. Using Tukey's ladder of powers, the soil and topographic variables were transformed to reduce skewness (Table 1), so that the skewness of all transformed soil variables < 3.11. Geographic distance was log-transformed to account for the main distance-dependent process, dispersal limitation, which is expected to cause logarithmic distance decay (Condit et al. 2002). Analyses were performed using the R 2.1.1 and S-Plus 7.0 statistical packages (www.R-project.org and Insightful Corporation, Seattle, WA, USA), including the S-Plus Spatial Module (Kaluzny et al. 1998).

**Community level analyses**

We used three methods, based on interplot similarity matrices, to assess how changes in tree species composition are related to distance and soil composition/topography at the community level. First, we plotted interplot floristic similarity against interplot geographic distance and interplot similarity in soils. Second, we used Mantel tests to identify correlations between interplot similarity matrices (Legendre & Legendre 1998; Smouse et al. 1986). Mantel tests, which test for linear relationships between interplot differences, were deemed appropriate because plots of floristic similarity versus interplot differences in transformed distance and environmental variables showed no 'hump-shaped' relationships. Partial Mantel tests were used to test the strength of relationship between floristic similarity and similarity in soil and topographic variables, while removing the portion of correlations based on interplot geographic distance alone. Third, we used multiple regressions on the interplot-distance matrices, described further below, to assess the relative importance of the soil and topographic variables and to partition the variance in floristic similarity among geographic distance and environmental factors (Legendre et al. 1994; Legendre & Legendre 1998).

Interplot floristic similarity was calculated with both Steinhaus’ index, which incorporates species abundances, and Sørensen’s index, which is based on presence/absence data (Legendre & Legendre 1998). For all three analyses, both indices yielded similar results. The results for Steinhaus’ index are included in the text and those based on Sørensen’s index can be found in the appendices. For the geographic-distance matrix, log-transformed Euclidean distances between plot-center coordinates were used. For the soil and topographic distance matrices, the differences between transformed values were used.

The change in floristic similarity with distance in the BDFFP plots was compared with distance decay in floristic similarity from plot networks in Panama, Ecuador and Peru (Condit et al. 2002; Pitman et al. 2001). The climate in Peruvian and central Amazonian sites average 2200-2300 mm/year with a 3-month dry season. The site in Ecuador is aseasonal with 3200 mm/year rainfall on average. The Panama sites have the most geographic variation in rainfall (1800 - 3000 mm/year). Methods in these other studies and this one were similar. In all plots, trees ≥ 10 cm DBH were used and all plots were 1 ha in size, except a single plot in Peru which is 0.875 ha. Because the species were identified by different botanists, there is potential for incongruent species identifications among the plot networks.

The relative contributions of distance and environmental variables were estimated using multiple regressions on the distance matrices. In this procedure, the distance matrix of interplot floristic similarity is the response variable, and the explanatory variables are interplot geographic distance and similarity in environmental variables. The matrix regression mimics normal regression, except the probability of the strength of relationship between response and explanatory variables is determined by permuting the original matrices 999 times and comparing the distribution of $r$-values from the permutations against the observed value. Both forward and backward selection was used to choose the distance and environmental variables in the final model as follows. First, forward selection was used to add variables at a Bonferroni-corrected significant level.
of 0.005. Then backward elimination was applied to the model with all variables from the forward selection. The resulting final model was the most parsimonious model that explained the greatest variance in floristic similarity (RT) and included both distance and environmental variables together. We generated two additional models with a reduced number of variables. A distance-only model (RG) removed the environmental variables from the full model and the environment-only model (RE) removed distance. The results of these three models were used to partition the variation in floristic similarity into four fractions: pure geographic (RPG), purely environmental (RPE), mixed geographic-environmental (RPX), and unknown (RUN). These were calculated as follows:

\[ \text{RPG} = \text{RT} - \text{RE}; \text{RPE} = \text{RT} - \text{RG}; \]
\[ \text{RPX} = \text{RE} + \text{RG} - \text{RT}; \text{RUN} = 1 - \text{RT} \]

(cf. Borcard et al. 1992; Duivenvoorden et al. 2002; Tuomisto et al. 2003). Multiple regressions on distance matrices were done with Permute 3.4 (Legendre et al. 1994).

Individual species level analyses

To assess patterns in individual species, we used a series of regression models that include the effects of environmental and geographic distance variables on species abundances. Then, we used information-theoretic approach to determine which models provided the most explanatory power for the species abundance data (Bumham & Anderson 2002; Svenning et al. 2006). Two types of geographic distance variables were used (Bahn et al. 2006; Cressie 1993; Kaluzny et al. 1998; Lichstein et al. 2002; Svenning et al. 2006). First, the geographic trend variable measures how species abundance is related to geographic positions of the plots in the study area and thus influenced by broad-scale spatial trends. Second, the spatial autocorrelation variable measures how species abundance in one plot is related to abundances in neighboring plots.

We used ordinary least square regression (OLS) and conditional autoregressive models (CAR) models in a maximum likelihood framework to determine which combinations of environmental, geographic trend, and spatial autocorrelation variables best fit the patterns of abundance for individual species (Lichstein et al. 2002; Svenning et al. 2006). In species for which local spatial autocorrelation is important, a CAR model will show a large effects of spatial autocorrelation term with a corresponding reduction in either unexplained variance and/or the importance of the broad-scale trend or environmental variables. If spatial autocorrelation is not important, then OLS model will perform as well as the CAR models.

We restricted the analyses to 135 relatively common species, defined as having a mean density of at least one individual per ha and being present in at least half of the 40 plots. The species abundance was square-root transformed to reduce skewness, resulting in only four of 135 species with skewness \(l > 1\). For geographic trend variables (T), we used the UTM coordinates of the plots (X and Y) centered on their means and scaled to unit variance. We used the transformed values of the four most important environmental variables (E) from the community level analysis (Table 1) – the main fertility gradient, slope, pH and C:N ratio - which were centered and their variance scaled.

Conditional autoregressive (CAR) models are similar to OLS models, except they include a term in the explanatory variables to model the local spatial dependence in the residuals of the model. The CAR model is specified as \(Y = X\beta + pC(Y-X\beta) + \epsilon\), where \(Y\) is the vector of observations, \(X\) is the matrix of explanatory variables, \(\beta\) is the vector of regression coefficients, \(p\) is the spatial autoregression parameter, \(C\) is a symmetric neighborhood matrix of weights \(w_{ij}\) that quantifies the degree to which the abundance of plot \(i\) is influenced by its neighbor \(j\), and \(\epsilon\) is vector of random errors. The neighborhood matrix of \(w_{ij}\) weights is based on the distance between neighbors and can take different forms depending on the nature of distance dependence in the system. We used the form \(w_{ij} = 1/d_{ij}^k\) and tested models that allowed \(k\) to vary between 1 and 4. In the end, we used \(k = 1\) \((w_{ij} = 1/d_{ij})\) because it generated the highest overall the highest \(r^2\) and \(p\) values.

We initially developed a set of eight models, referred to below as the ‘trend/environment/rho’ models, to explore the relative contribution of broad-scale geographic trend (X and Y together), all environment variables together, and fine-scale spatial autocorrelation (\(p\)). The trend/environment/rho models included three OLS models that contained the following response variables but lacked the spatial autocorrelation term: intercept, geographic trend and environment \(M_{E+T}\); intercept and geographic trend \(M_T\); and intercept and environment \(M_E\). The three analogous CAR models – \(M_{E+T+p}\), \(M_{T+p}\) and \(M_{E+p}\) - had the same combinations of explanatory variables plus the spatial autocorrelation parameter \(p\). The final two models were the \(p\)-only CAR model \((M_{E+p})\) and the null model with only an intercept term \((M_0)\).

To explore the contribution of the four environmental variables individually and in all possible combinations, we also built an additional set of OLS-only models that included all permutations of geographic trend (X and Y together) and the four individual soil and topographic parameters. The outcome of this analysis, referred to below as the ‘all environmental variables’ models, resulted in 32 models.
Model assessment

The relative support for each model within the two sets of models was determined using Akaike’s Information Criterion (AIC), which takes into account both the relative likelihood (L) of each model and the model complexity, ie number of explanatory variables (k) included in the model (Akaiche 1981). Because we had a low number of observations (n) but large number of explanatory variables (k), we used the small-sample bias-corrected form of the AIC, \( AIC_c = -2\ln(L) + 2K + 2(K + 1)/(n - K - 1) \). Because the OLS and CAR functions in S-plus used different error structures and methods to compute likelihoods, we used the approach of Svenning et al. (2006) to calculate the OLS likelihood estimates of the CAR models by adjusting the null CAR model (\( p = 0 \)) to equal the null OLS model. The model with the lowest AICc among the OLS and adjusted CAR likelihoods was considered the best model (AICc min). The difference between the AICc of each model and the best model (\( \Delta AICc \)) can be used to interpret the strength of support for alternative model compared to the best model. Models with \( \Delta AICc \leq 2 \) have strong support and should be considered along with the best model (Burnham & Anderson 2002).

Another approach to comparing models is Akaike weights, which can be interpreted as the probability that model i is the best model for the observed data. Akaike weights were calculated as: 
\[
W(i) = \frac{\exp(-1/2\Delta AICc(i))}{\sum \exp(-1/2\Delta AICc(i))}
\]
where the denominator is summed over all models (Burnham & Anderson 2002). The AICc weights were calculated for each species, then averaged over all species to produce a species-averaged Akaike weight. The probability that the best model includes a specific explanatory variable was determined by summing the species-averaged Akaike weights for all models that include that explanatory variable. For the OLS models of the “trend/environment/rho” model, we determined the amount of variance explained by each explanatory variable using the variance partitioning scheme described in the community analysis section of this paper.

When there is substantial support for a number of models, the relative importance of individual explanatory variables among the models can be assessed by computing weighted averages of the standardized regression coefficients. This procedure weights the regression coefficient for each parameter \( \beta \) in each model by the AIC weight \( W(i) \) that model, then sums over all models \( \beta_{ave} = \sum W(i)\beta \). Standardized regression coefficients for each explanatory variable were determined for each species, then averaged over species to yield a species-averaged coefficient for each explanatory variable (Burnham & Anderson 2002).

For the ‘all environmental variables’ models only, we tallied the number of common species that had significant relationships with each environmental variable using a Bonferroni-adjusted p-value. First, for each species, we determined if the individual environmental variables included in the best model were significant. Then for each environmental variable, we summed significant relationship over the species. The same procedure was done for models with strong support.

Results

Community composition

Geographic distance was the most important variable shaping floristic similarity in the central Amazonian plots. A Mantel test between floristic similarity (Steinhaus’ index) and geographic distance yielded a relatively strong correlation (\( r = 0.57 \)), which was mostly due to the sharp decline in floristic similarity between 0 - 5 km interplot distances (Fig. 1). Interplot floristic similarity was also correlated with interplot similarity in the soil and topographic variables (Table 1, Fig. 2). Half of the six soil and topographic variables (main fertility gradient, pH and C:N ratio) showed a significant correlation with floristic similarity using the simple Mantel tests. Slope was not significant in the 40 plots, but was significant in the full

Table 1. Results of simple and partial Mantel tests between floristic similarity (as measured by Steinhaus’ index), interplot differences in environmental variables and interplot geographic distance in central Amazonia. The environmental variables and distance have been transformed. The Mantel correlation coefficient (\( r \)) and significance level (\( p \)) is shown for each test. Relationships in bold are statistically significant at a Bonferroni-adjusted level of \( p < 0.007 \).

<table>
<thead>
<tr>
<th>Independent variable</th>
<th>Transformation</th>
<th>Variable ~ distance</th>
<th>Floristic similarity ~ variable</th>
<th>Floristic similarity ~ variable ~ distance</th>
</tr>
</thead>
<tbody>
<tr>
<td>Geographic distance</td>
<td>log10(x)</td>
<td>--</td>
<td>0.57</td>
<td>0.0005</td>
</tr>
<tr>
<td>Main fertility gradient</td>
<td>x^2</td>
<td>0.17</td>
<td>0.0020</td>
<td>0.43</td>
</tr>
<tr>
<td>pH</td>
<td>x</td>
<td>0.41</td>
<td>0.0005</td>
<td>0.31</td>
</tr>
<tr>
<td>Slope</td>
<td>x^0.5</td>
<td>0.06</td>
<td>0.0645</td>
<td>0.15</td>
</tr>
<tr>
<td>C:N ratio</td>
<td>x^-3</td>
<td>0.19</td>
<td>0.0005</td>
<td>0.28</td>
</tr>
<tr>
<td>Water</td>
<td>x^0.5</td>
<td>0.06</td>
<td>0.0630</td>
<td>0.17</td>
</tr>
<tr>
<td>Phosphate</td>
<td>x^2</td>
<td>0.09</td>
<td>0.0240</td>
<td>0.11</td>
</tr>
</tbody>
</table>

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Central Amazon, Brazil
Panama
Ecuador

0.50
0.45
0.40
0.35
0.30
0.25
0.20
0.15
0.10
0.05
0.00

c
C
N

Distance (km)

Fig. 1. Floristic similarity (measured with Sørensen’s index) as a function of geographic distance between plots in central Amazonia and three other Neotropical plot networks. Data for Panama, Peru, and Ecuador were adapted from Condit et al. (2002). The data points are for central Amazonia only. The lines were generated by classifying the floristic similarity data based on clusters of interplot distances and taking the average in each distance class.

66 plots (App. 3). Using partial Mantel tests to account for trends in floristic similarity related solely to geographic distance, only the main fertility gradient and C:N ratio were significant with correlation coefficients at 0.41 and 0.21, respectively (Table 1).

In the multiple regression analysis considering all the explanatory variables together, the final model contained interplot geographic distance and the main fertility gradient (Table 2, App. 4). Geographic distance had a higher standardized regression coefficient than the main fertility gradient. Partitioning the variance, pure geographic distance explained 26% of the community floristic variation, environmental factors (soil and topographic variables) explained 12%, and the interaction of distance and environment explained 7%, with 56% of the variation unexplained.

The plots in central Amazonia had lower overall beta diversity than did comparable plot networks in Peru, Ecuador, and Panama (Fig. 1). At small interplot distances (0-2.5 km), the three Amazonian networks had comparable floristic similarity between 0.45 and 0.52 fraction of shared species (the similarity of the Panama plots was much higher), but they diverged at larger distances (>2.5 km). At interplot distance 10 - 30 km, the similarity of the central Amazon plots remained fairly constant at 0.45, whereas the similarity within the Peruvian plots decreased steeply from 0.45 to 0.32, considerably lower than the central Amazon between 0.25 - 0.35 shared species. The floristic similarity between 10 and 30 km was considerably lower for Ecuador and Panama than for central Amazonia, which was between 0.25 - 0.35.

Individual species

As in the community level analysis, geographic trend had somewhat greater importance than environmental variables in determining individual species abundances. Geographic trend was included in the best model for 41% of species compared to 30% for the environmental variables (Table 3, App. 5). However, considering all models with strong support, which are plausible alternatives to the best model, 89% of species contained the environmental variables compared to 59% that included the geographic

Table 2. Standardized regression coefficients from multiple regression analyses with interplot floristic similarity (Steinhaus index) as the response variable and interplot geographic distance and interplot variation in six environmental variables as the explanatory variables. A Bonferroni-corrected p-value of 0.005 was used in forward and backward selection to derive the final model from the full model.

<table>
<thead>
<tr>
<th>Variable</th>
<th>Full model coefficient (p)</th>
<th>Final model Coefficient (p)</th>
</tr>
</thead>
<tbody>
<tr>
<td>Distance</td>
<td>0.43 (&lt; 0.0001)</td>
<td>0.52 (0.0010)</td>
</tr>
<tr>
<td>Main fertility gradient</td>
<td>0.33 (&lt; 0.0001)</td>
<td>0.34 (0.0010)</td>
</tr>
<tr>
<td>pH</td>
<td>0.14 (0.0040)</td>
<td></td>
</tr>
<tr>
<td>C:N ratio</td>
<td>0.09 (0.0340)</td>
<td></td>
</tr>
<tr>
<td>Water</td>
<td>0.09 (0.0420)</td>
<td></td>
</tr>
<tr>
<td>Slope</td>
<td>0.05 (0.1690)</td>
<td></td>
</tr>
<tr>
<td>Phosphate</td>
<td>0.10 (0.0190)</td>
<td></td>
</tr>
<tr>
<td>$r^2$</td>
<td>0.49 (0.0001)</td>
<td>0.44 (0.0005)</td>
</tr>
</tbody>
</table>

Fig. 2. Floristic similarity (Steinhaus’ index) as a function of differences in percent clay (an indicator of the main fertility gradient) between 40 plots in central Amazonia. Inset is a plot of floristic similarity versus differences in C:N ratio between plots. The lines are based on a linear regression.
trend variables (Table 3). The summed AIC weights, which is a measure of the weight of evidence that a variable should be included in the final model, were somewhat greater for broad-scale geographic trend (46%) than for the environmental variables (35%) (Table 3).

There was some, but not strong, support that spatial autocorrelation (p), i.e., fine-scale structuring, is important in this data set. The summed AIC weight for any model with p was 37%, equal to that of models containing the environmental variables (Table 3). But spatial autocorrelation was included in only 15% of the best models (CAR models); 55% of best models had no p parameter (OLS models) (Table 3). In 80-95% of species where a specific CAR models (for example, geographic trend + p) had strong support, the corresponding OLS model (for example, just geographic trend) also had strong support, suggesting that either a CAR or OLS model could be chosen for each species. The null model had quite strong support with an AIC weight of 20% (Table 3). For 30% of species, the null model was the best model, and for over half the species, the null model had strong support, meaning that a model that included at least one environmental or distance variable was only slightly better than a model with just an intercept.

The partitioning of the variance from the OLS models showed that 15% of the variance was explained by environmental variables, 8% by geographic trend and 8% by trend + environment. On average across species, the large majority (70%) of variance in species abundance was unexplained. For just the CAR models, the average variance explained ($r^2$) for the full model (RT) was 33%, thus the average unexplained variance (1−RT) was 67%, similar to the unexplained variance in the OLS models.

Importance of individual environmental variables

We used the ‘all environmental variables’ OLS models to determine the relative importance of the four environmental variables for species abundances. Of the four environmental variables, the main fertility gradient and pH were more important in structuring species abundance than slope and C:N ratio. Both the main fertility gradient and pH were included in the best model for 39% of the species (Table 4, Apps. 5, 6). Also, the main fertility gradient and pH had higher AIC weights than the other two environmental variables (Table 4). It is important to note, however, the data could not definitively arbitrate between the different models, as each environmental variable was included in at least one model that had strong support.

In the models with the best support, the main fertility gradient had a significant p-value for the most number of species (16%) compared to pH (9%), C:N ratio (3%) and slope (1%) (App. 5). Similarly, for models with strong

<table>
<thead>
<tr>
<th>Model</th>
<th>All models AIC weights</th>
<th>Best model # spp.</th>
<th>Best model or strong support # spp.</th>
<th>Best model $r^2$</th>
</tr>
</thead>
<tbody>
<tr>
<td>Geographic trend + environment</td>
<td>8%</td>
<td>9 (7%)</td>
<td>37 (27%)</td>
<td>0.46</td>
</tr>
<tr>
<td>Geographic trend</td>
<td>22%</td>
<td>41 (30%)</td>
<td>97 (72%)</td>
<td>0.23</td>
</tr>
<tr>
<td>Environment</td>
<td>14%</td>
<td>24 (18%)</td>
<td>65 (48%)</td>
<td>0.34</td>
</tr>
<tr>
<td>Geographic trend + environment + p</td>
<td>5%</td>
<td>1 (1%)</td>
<td>30 (22%)</td>
<td>NA</td>
</tr>
<tr>
<td>Geographic trend + p</td>
<td>12%</td>
<td>7 (5%)</td>
<td>48 (36%)</td>
<td>0.46</td>
</tr>
<tr>
<td>Environment + p</td>
<td>8%</td>
<td>5 (4%)</td>
<td>76 (56%)</td>
<td>0.45</td>
</tr>
<tr>
<td>P</td>
<td>12%</td>
<td>7 (5%)</td>
<td>71 (53%)</td>
<td>0.18</td>
</tr>
<tr>
<td>Null</td>
<td>20%</td>
<td>41 (30%)</td>
<td>75 (56%)</td>
<td>NA</td>
</tr>
<tr>
<td>Geographic trend in any model</td>
<td>46%</td>
<td>56 (41%)</td>
<td>70 (59%)</td>
<td>0.30</td>
</tr>
<tr>
<td>Environment in any model</td>
<td>35%</td>
<td>41 (30%)</td>
<td>120 (89%)</td>
<td>0.39</td>
</tr>
<tr>
<td>p in any model (CAR)</td>
<td>37%</td>
<td>20 (15%)</td>
<td>135 (100%)</td>
<td>0.37</td>
</tr>
<tr>
<td>No p in model (OLS)</td>
<td>44%</td>
<td>74 (55%)</td>
<td>133 (99%)</td>
<td>0.30</td>
</tr>
</tbody>
</table>

Table 4. Summary of results from ‘all environmental variables’ ordinary least squares (OLS) models, which includes all possible combinations of geographic trend and the four environmental variables as explanatory variables resulting in 32 models. For each species, AIC weights were calculated as the sum of AIC weights from all models that include the variable. Then the AIC weight for each variable was averaged over the species. Individual model results are given in App. 5.

<table>
<thead>
<tr>
<th>Model</th>
<th>Sum of AIC weights</th>
<th>Best model # spp.</th>
<th>Best model or strong support # spp.</th>
</tr>
</thead>
<tbody>
<tr>
<td>Null</td>
<td>5.1%</td>
<td>18 (13%)</td>
<td>58 (43%)</td>
</tr>
<tr>
<td>Main fertility gradient in any model</td>
<td>49.0%</td>
<td>52 (39%)</td>
<td>135 (100%)</td>
</tr>
<tr>
<td>Slope in any model</td>
<td>39.8%</td>
<td>33 (24%)</td>
<td>135 (100%)</td>
</tr>
<tr>
<td>pH in any model</td>
<td>46.2%</td>
<td>53 (39%)</td>
<td>135 (100%)</td>
</tr>
<tr>
<td>C:N ratio in any model</td>
<td>36.2%</td>
<td>20 (15%)</td>
<td>134 (99%)</td>
</tr>
<tr>
<td>Geographic trend in any model</td>
<td>43.5%</td>
<td>49 (36%)</td>
<td>134 (99%)</td>
</tr>
<tr>
<td>Environmental variable in any model</td>
<td>89.6%</td>
<td>104 (77%)</td>
<td>135 (100%)</td>
</tr>
</tbody>
</table>
support, the significant $p$-values were greatest for the main fertility gradient (21%), followed by pH (10%), slope (5%) and C:N ratio (4%). 25% of the species had at least one environmental variable that was significant in the best model and 33% of the species had at least one significant environmental variable included in a model with strong support. There was evidence that certain species-rich families and genera have strong trends with particular environmental variables. The 7 common Moraceae, the 11 Eschweilera (Lecythidaceae), and the 9 Protium (Burseraceae) species showed a strong relationship with the main fertility gradient (cf. Fine et al. 2004, who also found clay and sand specialists in the genus Protium), the six Licania (Chrysobalanaceae) species and five Myristicaceae species had a strong relationship with slope and C:N ratio, respectively (App. 5).

Finally, for model-averaged standardized regression parameters in the OLS models, the main fertility gradient and pH had the highest absolute coefficients averaged over all species (Table 5). Of the species with high coefficients ($> 0.10$) for slope (32 species), 72% had positive coefficients, indicating that species tended to have greater abundance on steeper slopes. The main fertility gradient also had more species with positive than negative coefficients (Table 5). Of the species-rich taxa, Licania had high abundance on steeper slopes and Eschweilera tended to have higher abundance at sites with low clay content, and low amounts of nitrogen, carbon and cations (App. 5). pH and C:N ratio had more equal numbers of species with strong negative and positive relationships (Table 5).

We used the value of 34% as the number of species with a significant relationship with environmental variables to compare the results of this study to other studies. This was the percentage of species that had significant relationships with any environmental variables in the best or strongly-supported model in set of the 'all environmental variables' models. The 34% value also matches the percentage of species for which environment was included in the best model for the set of trend/environment/rho models (Table 3).

**Discussion**

**Community floristic similarity**

In our study, both geographic distance and environmental variables were important in determining community floristics patterns. The effect of geographic distance on floristic similarity was strongest at distances of 0-5 km, but then became relatively unimportant at distances of 5-30 km. A steep decline in similarity at local distances and a more gradual decline at larger distances has been reported throughout the Neotropics (Condit et al. 2002; Normand et al. 2006; Tuomisto et al. 2003c; Vormisto et al. 2004), and is consistent with the important role of dispersal limitation in determining beta diversity (Condit et al. 2002).

The main soil-fertility gradient influenced floristic similarity at all spatial scales, with widely separated sites on similar soils tending to be more similar floristically than nearby sites on differing soils (see also Rankin-de Merona et al. 1992). The dominant soil trend in our central Amazonian landscape appears to be a gradient between clay-rich soils with higher organic matter, cation concentrations and nitrogen, and sand-dominated soils with opposite characteristics (Chauvel et al. 1987; Laurance et al. 1999; Richter & Babbar 1991). Comparable trends are found in other tropical forests where soil texture and cation concentrations strongly influence plant species composition (Phillips et al. 2003; Tuomisto et al. 2003a, b; Webb & Peart 2000). The C:N ratio of soils, which reflects soil nitrogen mineralization, also had an impact on community floristics. The relationship between C:N ratio and floristic composition has not been reported in other tropical forests, but can be important in temperate forests (Elgersman & Dhillion 2002; Schuster & Diekmann 2005).

**Landscape and regional patterns**

The plots in central Amazonia exhibit two notable trends compared to the plot networks in northwestern and southwestern Amazonia: consistent levels of floristic similarity for plots >5 km apart and relatively low beta diversity (Condit et al. 2002; Macia & Svenning 2005; Pitman et al. 2001). The differences in floristic similarity between the sites may result from different dispersal or speciation dynamics in central Amazon versus western Amazon forests (Condit et al. 2002). The uniformity in floristic similarity with increasing distance suggests that the central Amazonian landscape is dominated by a small
group or ‘oligarchy’ of common species (cf. Pitman et al. 2001). Similar to the western Amazon sites, 61% of the stems in central Amazonia are common species with densities of at least one stem per hectare. The oligarchy of common species on nutrient-starved soils of central Amazonia tends to be quite distinct from that of the geologically younger and richer soils of the western Amazon (Gentry 1990; Terborgh & Andresen 1998). Yasuni and Manu share 42 of their 150 commonest species (Pitman et al. 2001), but the central Amazon shares only 18 common species with Yasuni and 8 species with Manu. Although the common species of central Amazonia do not overlap with the common species in western Amazonia, we do not expect the common central Amazonian species to be specialist species localized to the BDFFP plots, as common species in other Neotropical forests tend to be widespread regionally and locally abundant (Duque et al. 2003; Eilu et al. 2004; Pitman et al. 2001).

**Distance vs. environment in individual species**

Broad-scale geographic trend and the environmental variables were both important in determining individual species distributions. Spatial autocorrelation was less important, found in only 15% of the best models. The majority of the variance in individual species was not explained by geographic distance, environmental variables or spatial autocorrelation, indicating the importance of stochastic processes and possibly unmeasured environmental variables for species distributions.

Because of the high community floristic similarity at interplot distances less than 5 km, we expected distance variables to be important for individual species. Fine-scale spatial autocorrelation was less important and broad-scale trend more important than we expected. The lack of spatial autocorrelation may be due to the relatively large distances between plots. The minimum distance between plots was 100 m, whereas density dependent processes, such as dispersal limitations and Janzen-Connell effects, influence tree densities and dynamics at shorter spatial scales of 30 m or less (Condit et al. 2000; Hubbell et al. 2001; Queenborough et al. 2007).

The strong relationship between broad scale spatial trend and abundance for many species could have several underlying environmental or historical causes. The flora of the Manaus area is composed of species from several phytogeographic regions and many species are at the limit of their known range boundaries (Oliveira & Daly 1999). The expansion or contraction of these boundaries may leave geographic trends in some species’ densities. The geographic trend in species abundance could result from unmeasured environmental variation. The western portion of the BDFFP is part of a different watershed and geological formation than the eastern portion. The road between Manaus and Caracas, which was constructed in the late 1960’s, runs through the western portion of the study area, although not within 5 km of any plot. Although the wide, disturbed right-of-way of this road could be a source of pioneer species, we believe that the likelihood is small that this factor could have affected the populations of trees \( \geq 10 \text{ cm dbh} \) in the study plots by the 1980s when our survey data were collected. Clues to the causes of the geographic variation might be obtained by investigating the species-rich families and genera that showed strong relationship geographic trend. In particular, the nine common Proton and 16 common Lecythidaceae species showed a strong relationships with geographic trend (App. 5).

**Important environmental variables for species abundances**

As with community floristic similarity, the main fertility gradient was the most important environmental variable in relation to individual species abundances. However, pH was clearly the second most important environmental variable, in contrast to the community floristic similarity analysis in which C:N ratio was the second most important explanatory variable. Unlike cation concentration and soil texture, which seem to be widely important in influencing floristic patterns in tropical forests, the role of soil pH may be limited to certain regions or taxa. Soil pH has been found to have significant relationships with floristics in some tropical forests (Baillie 1987; Hall et al. 2004; Jones et al. 2006) but is unimportant in others (Paoli et al. 2006; Ruokolainen & Tuomisto 1998; Tuomisto et al. 2003a), including the Ducke Reserve in central Amazonia (Costa et al. 2005). Higher species abundances on soils of low pH might be expected due to the evolutionary origin of Amazonian flora of soils of low pH (Pärtel 2002). However, there were equal numbers of species with positive and negative species coefficients for pH, which does not lend support for greater species abundances at lower pH in this community.

It is important to note that for each species, each environmental variable was included in at least one model with strong support (Table 4), indicating that no single model definitively fit the data better than the other models. To narrow the candidates for the best fit model would require either more data or reducing the number of models under consideration (32 for the ‘all environmental variables’ set of models). The analysis provided here can help guide the choice of the appropriate environmental variables for different species, genera and families for further study.

**Meta-analyses across tropical forests**

The proportion of species having significant relationships with soil factors varied widely (25-82%) among stud-
Fig. 3. Comparison of the percentage of individual species with significant relationships with soil and topographic variables versus the total number of species for 14 studies in tropical forests. Squares indicate studies where individual soil or topographic variables were used. Circles indicate studies where plots were divided into two or more distinct habitats. X indicates that the species in the study were only drawn from one or two particular taxa, such as only Dipterocarpaceae, or only palms. Information on the studies can be found in App. 7.

is that the studies with large numbers of species contain more rare species and fail to detect environmental relationships in the rare species because of low sample size. The environmental variation within each study site was difficult to compare with the information provided in the literature, but would certainly be an important next step in a meta-analysis. To definitively study community floristics relationships with soil and topographic variables, more studies with large numbers of species and with soil data collected in a standardized manner are needed.

Acknowledgements. We thank Hanna Tuomisto, Richard Condit, Ben Turner and four anonymous reviewers for commenting on the manuscript. Support was provided by the NASA-LBA Program, A.W. Mellon Foundation, Conservation, Food and Health Foundation, World Wildlife Fund-U.S., MacArthur Foundation, National Institute for Amazon Research, and Smithsonian Institution. This is publication number 514 in the BDFFP technical series.

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Received 21 December 2006; Accepted 3 January 2008; Co-ordinating Editor: M. Pärtel.

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